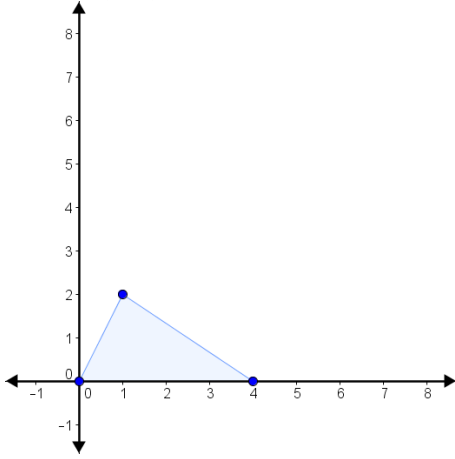


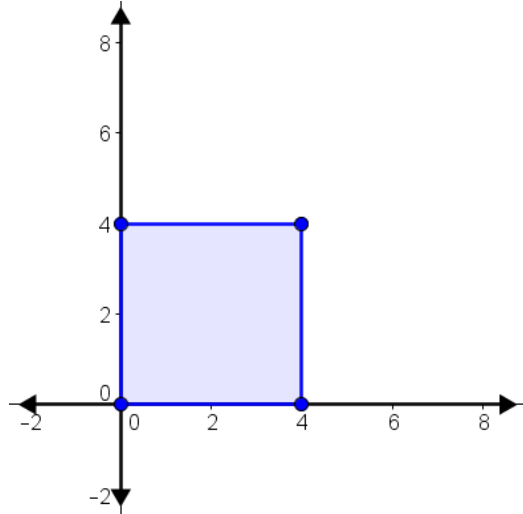
SM2 8.1: Dilations

Problems: Draw the dilation image of each figure with the center of dilation at (0,0) and the given scale factor.

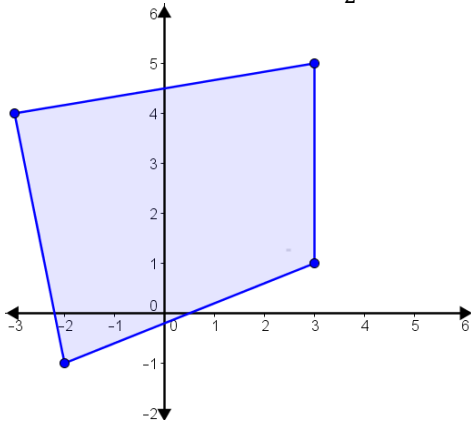
1) Center (0,0); scale factor 2



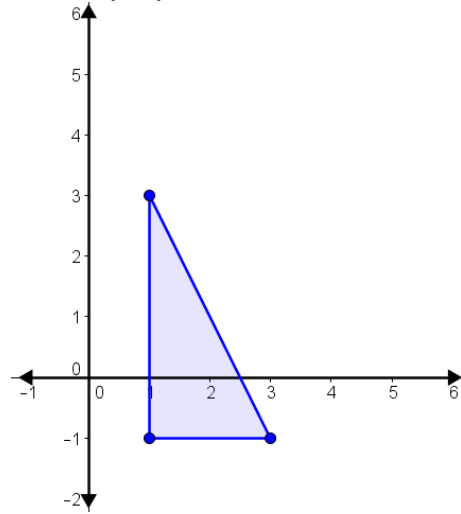
2) Center (0,0); scale factor 2



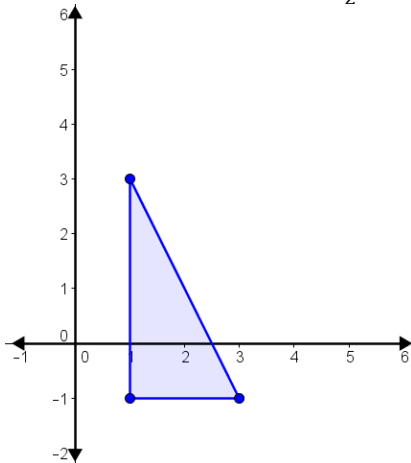
3) Center (0,0); scale factor $\frac{1}{2}$



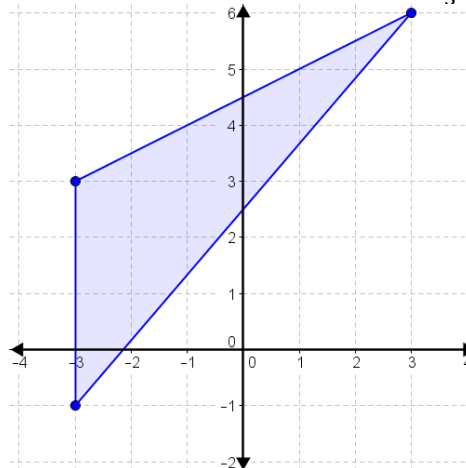
4) Center (0,0); scale factor 2



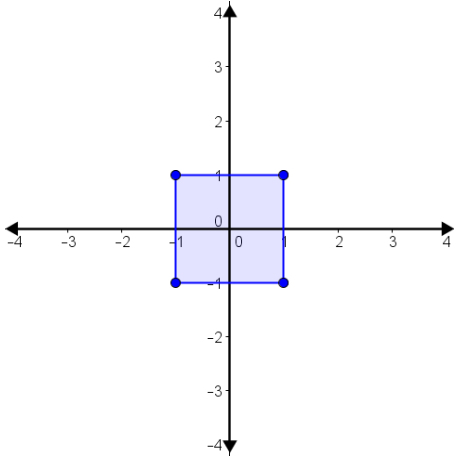
5) Center (0,0); scale factor $\frac{1}{2}$



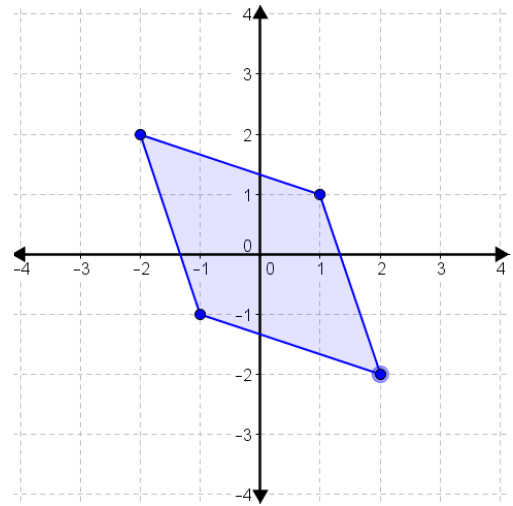
6) Center (0,0); scale factor $\frac{1}{3}$



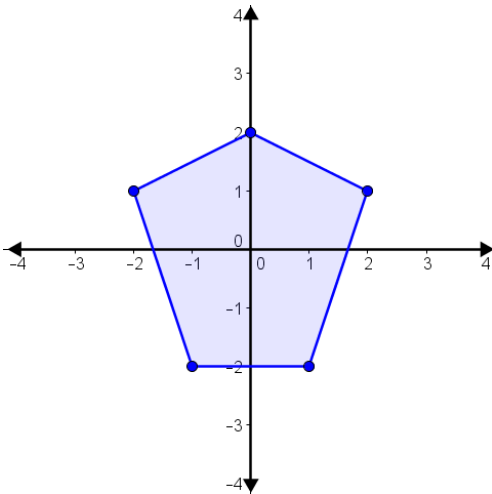
7) Center (0,0); scale factor 4



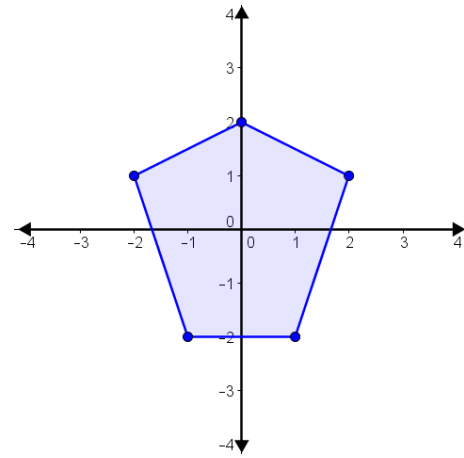
8) Center (0,0); scale factor $\frac{1}{2}$



9) Center (0,0); scale factor 2



10) Center (0,0); scale factor $\frac{1}{2}$



Determine whether each statement is true or false.

11) A dilation with a scale factor greater than 1 will shrink the image.

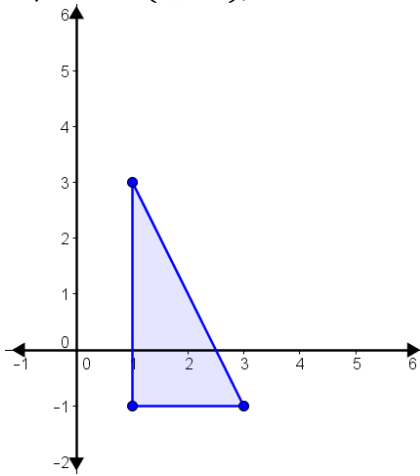
12) For a dilation, corresponding angles of the image and pre-image are congruent.

13) A dilation image cannot have any points in common with its pre-image.

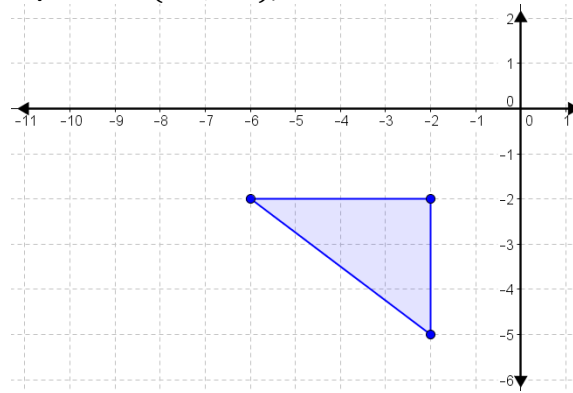
14) A dilation preserves length.

Draw the dilation image of each figure with the given center of dilation at and the scale factor.

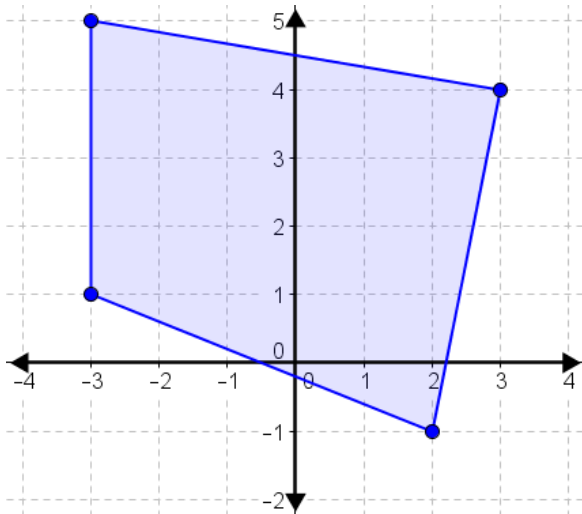
15) Center $(1, -1)$; scale factor 2



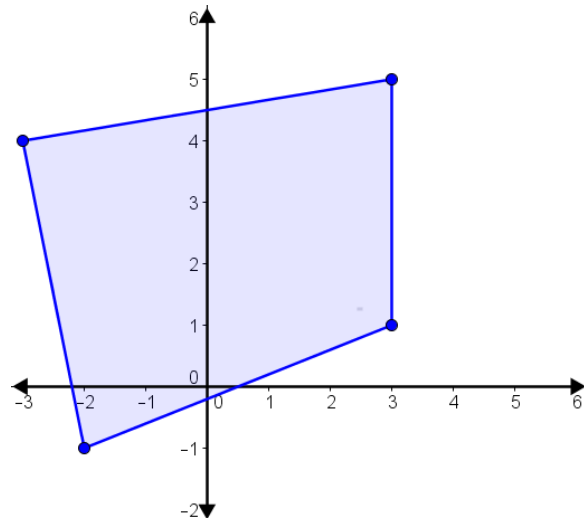
16) Center $(-2, -5)$; scale factor 2



17) Center $(3, 4)$; scale factor $\frac{1}{3}$

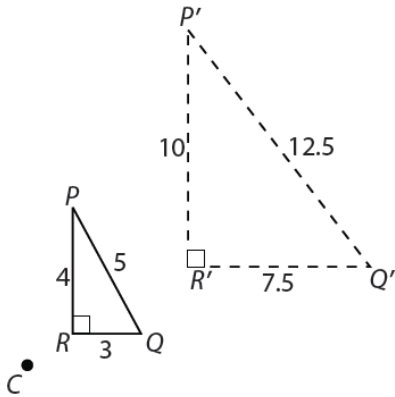


18) Center $(3, 5)$; scale factor $\frac{1}{2}$

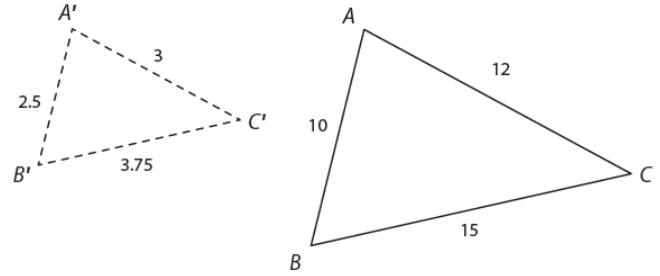


The following transformations represent dilations. Determine the scale factor and whether the dilation is an enlargement, a reduction, or a congruency transformation.

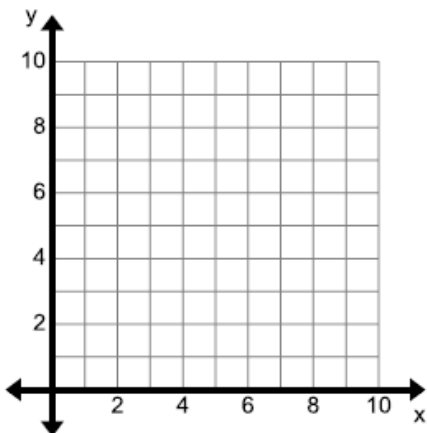
19)



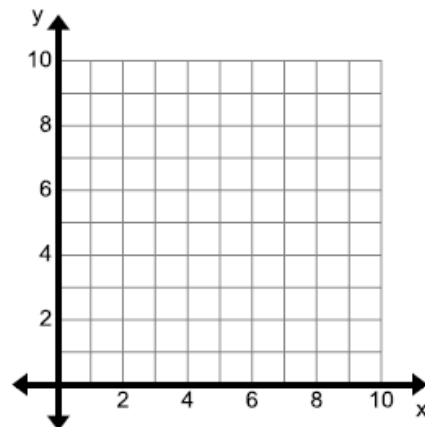
20)



21) Graph the pre-image with given vertices. $J(2,4)$, $K(4,4)$, and $P(3,2)$. Then graph the image with center of dilation at the origin and a scale factor of 2.

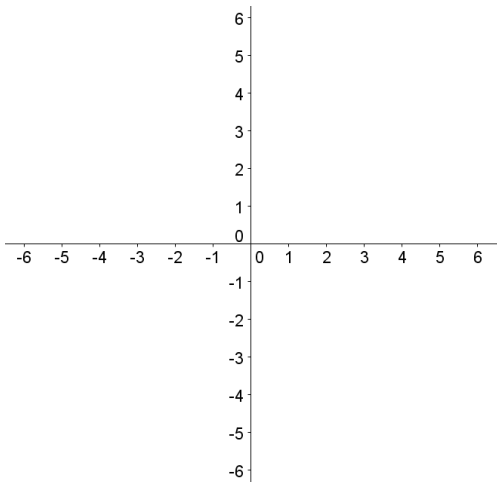


22) Graph the pre-image with given vertices. $J(2,4)$, $K(4,4)$, and $P(3,2)$. Then graph the image with center of dilation at the origin and a scale factor of $\frac{1}{2}$.



Application Problems:

- 23) A university wants to put in a courtyard for a new building. The courtyard is bounded by the coordinates $P(-4, 0)$, $Q(-2, -6)$, $R(6, 2)$, and $S(0, 4)$. The landscape architects created a dilation of the space through the center $C(0, 0)$ to outline the garden. The garden is bounded by the points $P'(-2.4, 0)$, $Q'(-1.2, -3.6)$, $R'(3.6, 1.2)$, and $S'(0, 2.4)$. What is the scale factor? Does this represent an enlargement, a reduction, or a congruency transformation? Explain.



- 24) A neighborhood committee is planning a new community pool. The committee has proposed a design for the pool. The design consists of two rectangles. The inner rectangle is the pool, and has been dilated about $C(0, 0)$ to create the concrete walkway that will border the pool. The vertices of the pool are $P(-2, 4)$, $Q(2, 4)$, $R(2, -4)$, and $S(-2, -4)$. The vertices of the outside edge of the concrete walkway are $P'(-3, 6)$, $Q'(3, 6)$, $R'(3, -6)$, and $S'(-3, -6)$. What is the scale factor? Does this represent an enlargement, a reduction, or a congruency transformation? Explain.

